

# Shearail<sup>®</sup>

## Design Manual to BS8110

(BS 8110-1:1997 *Amendments Nos. 1,2 & 3*)



**Max Frank Ltd**

Whittle Road, Meir, Stoke on Trent, Staffordshire. ST3 7HF

[www.maxfrank.co.uk](http://www.maxfrank.co.uk)



**Contents**

Prefix/Index. . . . . 1

Square/Circular Loaded Areas – INTERNAL. . . . . 2

Square/Circular Loaded Areas – EDGE . . . . . 3

Square/Circular Loaded Areas – INTERNAL CORNER. . . . . 4

Square/Circular Loaded Areas – EXTERNAL CORNER. . . . . 5

Rectangular Loaded Areas – INTERNAL. . . . . 6

Rectangular Loaded Areas – EDGE . . . . . 7

Rectangular Loaded Areas – INTERNAL CORNER. . . . . 8

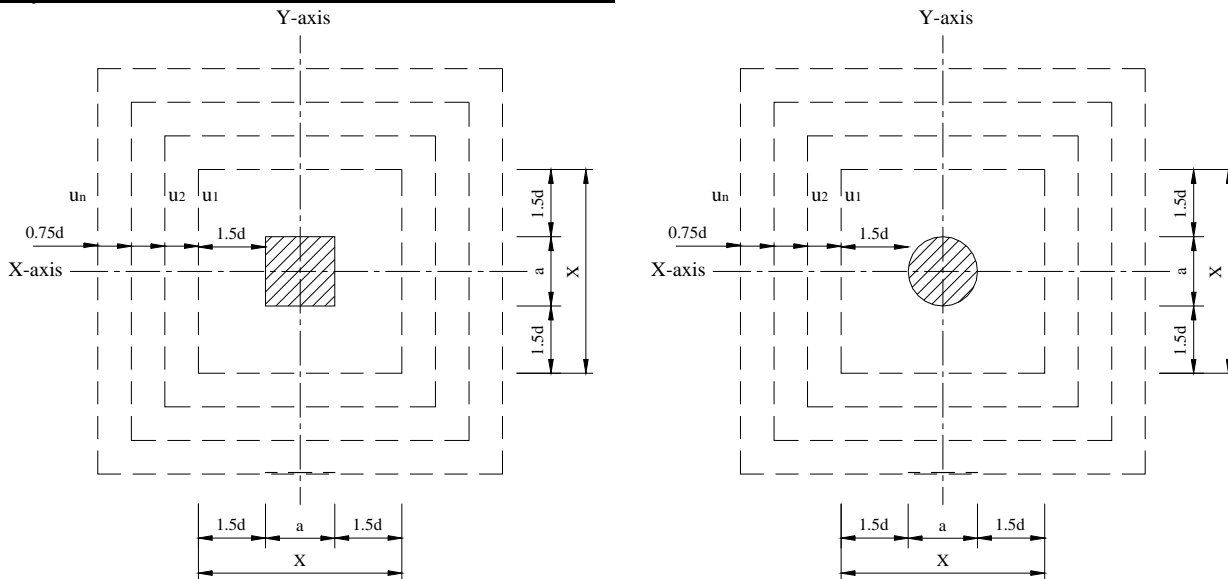
Rectangular Loaded Areas – EXTERNAL CORNER. . . . . 9

Design Guidance for Holes in Slabs. . . . . 10

Symbols	Units	Description
<i>a</i>	mm	Width of column or pile.
<i>A<sub>sv</sub></i>	mm <sup>2</sup> /m	Area of shear reinforcement.
<i>b</i>	mm	Breadth of column or pile.
<i>c</i>	mm	Dimension to edge of slab from face of column or pile (see diagrams).
<i>d</i>	mm	Effective depth.
<i>h</i>	mm	Overall slab depth.
<i>e</i>	mm	Dimension to edge of slab from face of column or pile (see diagrams).
<i>f<sub>cu</sub></i>	N/mm <sup>2</sup>	Characteristic strength of concrete.
<i>f<sub>yv</sub></i>	N/mm <sup>2</sup>	Characteristic strength of shear reinforcement. (not to be taken more than 500 N/mm <sup>2</sup> )
<i>M<sub>t</sub></i>	kN/m	Design moment transferred between slab and column at the connection.
<i>u<sub>0</sub></i>	mm	Effective length of the perimeter which touches a loaded area.
<i>u<sub>1</sub>, u<sub>2</sub>...</i>	mm	Effective length of the perimeter.
<i>u<sub>n</sub></i>	mm	The effective perimeter where $v \leq v_c$
<i>v</i>	N/mm <sup>2</sup>	Design shear stress.
<i>v<sub>c</sub></i>	N/mm <sup>2</sup>	Design concrete shear stress.
<i>V<sub>eff</sub></i>	kN	Design effective shear including allowance for moment transfer.
<i>V<sub>t</sub></i>	kN	Design shear transferred to column
<i>X</i>	mm	The length of the side of the perimeter considered parallel to axis of bending.

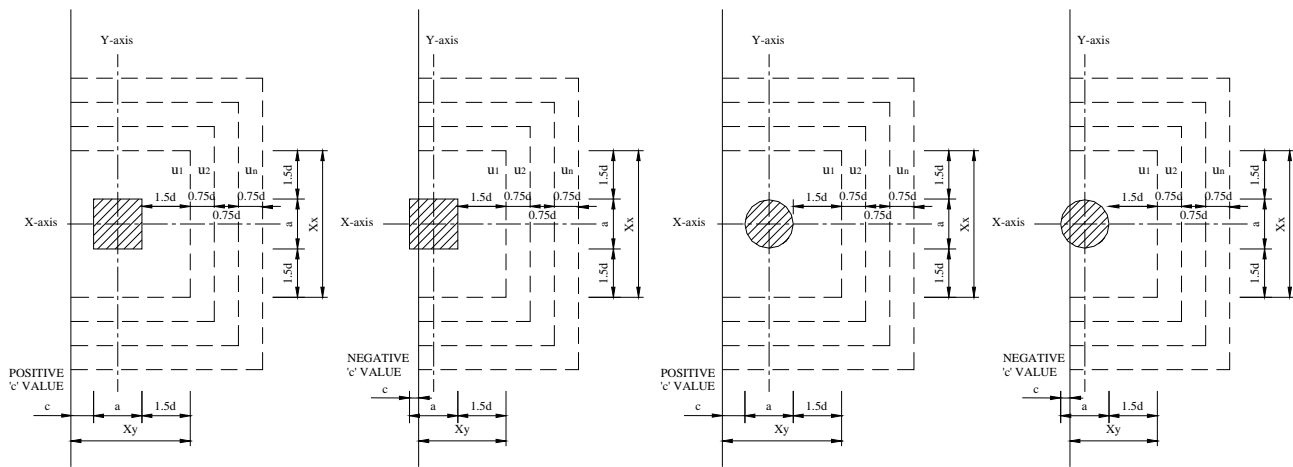
Note. *X* is always taken as the length of the side of *u<sub>1</sub>* at 1.5*d* from the column or pile face for each perimeter.  
 When calculating the direct shear with a moment at the column or pile face, *X* can be calculated as the length of the side of *u<sub>0</sub>* as worst case, but it is normal practice to use 1.5*d* as stated.

**Square/Circular Loaded Areas - INTERNAL**



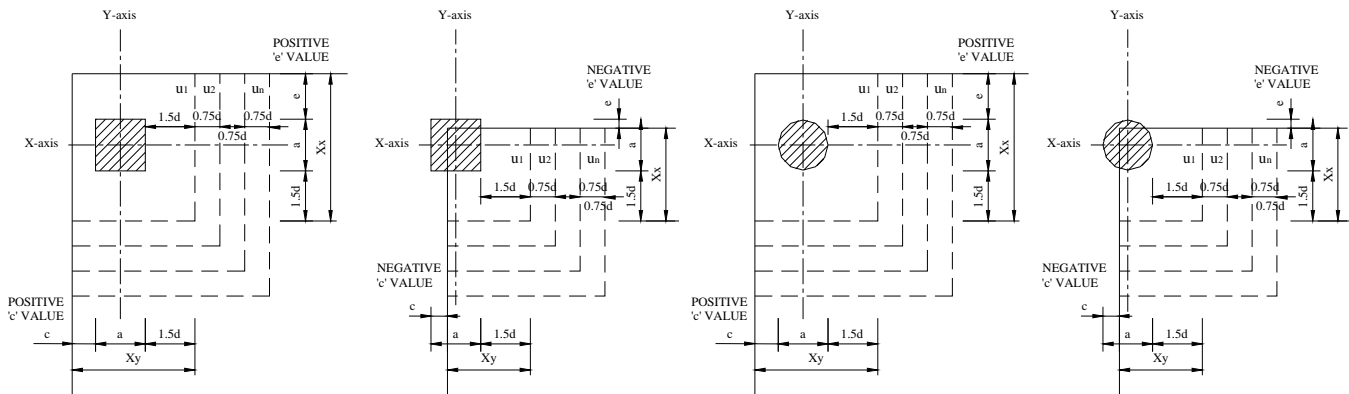
<p>Reference to BS8110 part1 Figure 3.14 3.7.7.2 Figure 3.15 <b>Design at face</b> Equation 27 3.7.6.4 &amp; 3.7.7.2</p>	<p><math>d = h - \text{top cover} - T1 \text{ Bars size} / 2 - T2 \text{ Bars size} / 2</math> (average in both directions)  <math>X = a + (2 \times 1.5d)</math> (required only when there is a moment in the slab)  <math>u_0 = 4a</math> (Square column/pile) or <math>a\pi</math> (Circular column/pile)  <math>V_{eff} = 1.15V_t</math> (direct shear) or <math>V_{eff} = V_t (1 + 1.5M_t / (V_t \times X))</math> (moment present)  <math>v = V_{eff} / (u_0 \times d)</math>                  Check <math>v</math> is not greater than <math>0.8 \times \sqrt{f_{cu}}</math> or <math>5 \text{ N/mm}^2</math>  <math>f_{cu}</math> should not to be taken greater than <math>40 \text{ N/mm}^2</math></p>
<p><b>Design at Perimeters</b> 3.7.7.3 Table 3.8 Equation 28 3.7.7.4 3.7.7.5 Equation 29a Equation 29b Figure 3.17</p>	<p>Design each perimeter <math>u_1, u_2, \dots, u_n</math> - starting <math>1.5d</math> from the column/pile face and at <math>0.75d</math> thereafter until <math>v_c</math> is greater than or equal to <math>v</math>.</p> <p><math>u_1 = ((1.5d \times 2) + a) \times 4 \dots u_2 = ((2.25d \times 2) + a) \times 4 \dots u_3 = ((3d \times 2) + a) \times 4</math> ..&amp; so on  <math>100A_s / (1000 \times d)</math> Not to be taken more than 3  <math>400 / d</math> Not to be taken less than 1  <math>v_c = 0.79 \times ((100A_s / (1000 \times d))^{1/3} \times (400 / d)^{1/4} / 1.25) \times (f_{cu} / 25)^{1/3}</math>  <math>v = V_{eff} / (u_1 \times d)</math></p> <p>3.7.7.4 <math>v' &lt; v_c</math> ➤ No Shear reinforcement is required                  3.7.7.5 <math>v' &gt; 2v_c</math> ➤ Redesign using: deeper slab, increase grade or top reinforcement.                  Equation 29a <math>v' \leq 1.6v_c</math> ➤ <math>A_{sv} = (v - v_c) u_1 d / (0.87f_{yv})</math> Note: <math>\text{Sin } 90^\circ = 1</math> for vertical bars                  Equation 29b <math>1.6v_c &lt; v' \leq 2v_c</math> ➤ <math>A_{sv} = 5(0.7v - v_c) u_1 d / (0.87f_{yv})</math> Note: <math>\text{Sin } 90^\circ = 1</math> for vertical bars</p> <p>Check against minimum Steel = <math>(0.4 u_1 d) / (0.87f_{yv}) \dots</math> (altering <math>u_1</math> to <math>u_2, \dots</math> accordingly)                  Note : <math>A_{sv}</math> is for TWO perimeters of studs/links at a maximum of <math>0.75d</math> centres.                  The first perimeter of studs located at <math>0.5d</math> should contain 40% of the calculated area of the reinforcement required in <math>u_1</math>                  Repeat 'design at perimeters'... until <math>v' &lt; v_c</math> hence no more reinforcement is required.</p>

**Square/Circular Loaded Areas - EDGE**



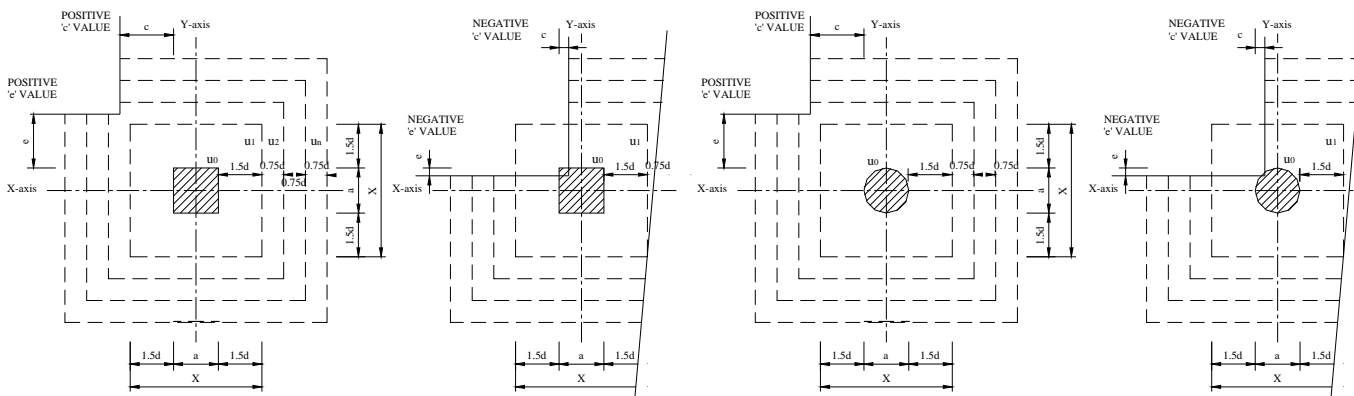
<p>Reference to BS8110 part 1</p> <p>Figure 3.14</p> <p>3.7.7.2</p> <p>Figure 3.15</p> <p><b>Design at face</b></p> <p>Equation 27</p> <p>3.7.6.4 &amp; 3.7.7.2</p>	<p><b>Cantilever edges (c) are restricted to a maximum of 3d, lengths greater than 3d are ignored.</b></p> <p><math>d = h - \text{top cover} - T1 \text{ Bars size} / 2 - T2 \text{ Bars size} / 2</math> (average in both directions)</p> <p><math>Xy = a + c + 1.5d</math> or <math>Xx = a + (2 \times 1.5d)</math> (required only when there is a moment in the slab)</p> <p>Square column <math>u_0 = a \times 3</math> or <math>u_0 = a \times 3 + c \times 2</math> Whichever is the smallest.</p> <p>Circular column <math>u_0 = a \pi</math> or when there is a negative value for 'c' <math>u_0 = a \pi + (c \pi)</math> .</p> <p>use X as Xx or Xy as appropriate</p> <p><math>V_{eff} = 1.4V_t</math> or <math>1.25V_t</math> (direct shear) or <math>V_{eff} = V_t (1.25 + 1.5M_t / (V_t \times X))</math> (moment present)</p> <p><math>v = V_{eff} / (u_0 \times d)</math></p> <p>Check v is not greater than <math>0.8 \times \sqrt{f_{cu}}</math> or <math>5 \text{ N/mm}^2</math></p> <p><math>f_{cu}</math> should not to be taken greater than <math>40 \text{ N/mm}^2</math></p>
<p><b>Design at Perimeters</b></p> <p>3.7.7.3</p> <p>Table 3.8</p> <p>Equation 28</p> <p>3.7.7.4</p> <p>3.7.7.5</p> <p>Equation 29a</p> <p>Equation 29b</p> <p>Figure 3.17</p>	<p>Design each perimeter <math>u_1, u_2, \dots, u_n</math> - starting <math>1.5d</math> from the column/pile face and at <math>0.75d</math> thereafter until <math>v_c</math> is greater than or equal to v.</p> <p><math>u_1 = (1.5d \times 4) + 3a + 2c</math> .. <math>u_2 = (2.25d \times 4) + 3a + 2c</math> .. <math>u_3 = (3d \times 2) \times 4 + 3a + 2c</math> .. &amp; so on</p> <p><math>100A_s / (1000 \times d)</math> Not to be taken more than 3</p> <p><math>400 / d</math> Not to be taken less than 1</p> <p><math>v_c = 0.79 \times ((100A_s / (1000 \times d))^{1/3} \times (400 / d)^{1/4} / 1.25) \times (f_{cu} / 25)^{1/3}</math></p> <p><math>v = V_{eff} / (u_1 \times d)</math></p> <p>3.7.7.4 <math>v' &lt; v_c</math> ➤ No Shear reinforcement is required</p> <p>3.7.7.5 <math>v' &gt; 2v_c</math> ➤ Redesign using: deeper slab, increase grade or top reinforcement.</p> <p>Equation 29a <math>v' \leq 1.6v_c</math> ➤ <math>A_{sv} = (v - v_c) u_1 d / (0.87f_{yv})</math> Note: <math>\sin 90^\circ = 1</math> for vertical bars</p> <p>Equation 29b <math>1.6v_c &lt; v' \leq 2v_c</math> ➤ <math>A_{sv} = 5(0.7v - v_c) u_1 d / (0.87f_{yv})</math> Note: <math>\sin 90^\circ = 1</math> for vertical bars</p> <p>Figure 3.17 Check against minimum Steel = <math>(0.4 u_1 d) / (0.87f_{yv})</math> .... (altering <math>u_1</math> to <math>u_2</math>, etc... accordingly)</p> <p>Note : 'A<sub>sv</sub>' is for TWO perimeters of studs/links at a maximum of 0.75d centres.</p> <p>The first perimeter of studs located at 0.5d should contain 40% of the calculated area of the reinforcement required in <math>u_1</math></p> <p>Repeat 'design at perimeters'... until <math>v' &lt; v_c</math> hence no more reinforcement is required.</p>

**Square/Circular Loaded Areas – INTERNAL CORNER**



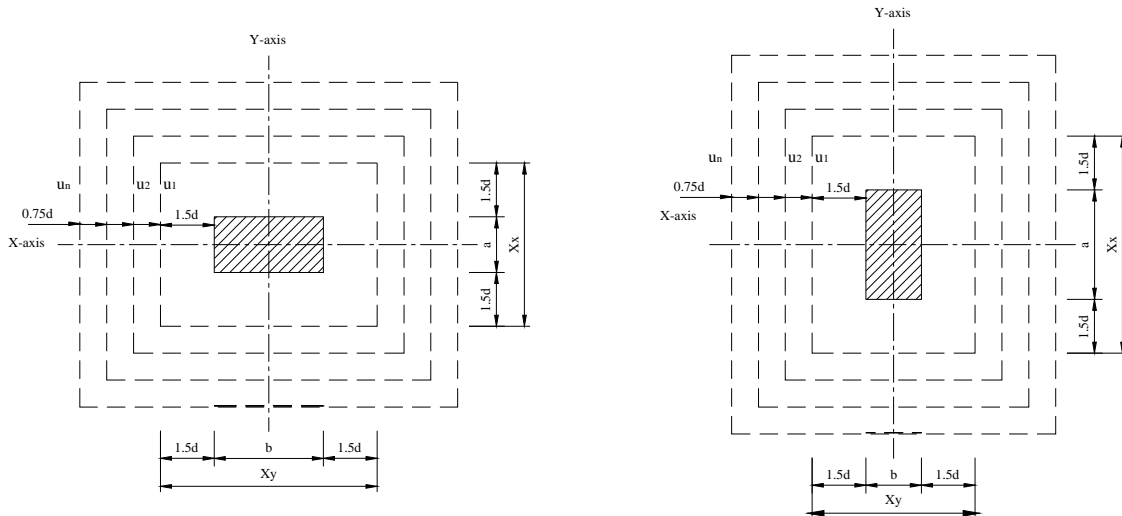
<p>Reference to BS8110 part 1</p> <p>Figure 3.14</p> <p>3.7.7.2</p> <p>Figure 3.15</p> <p><b>Design at face</b></p> <p>Equation 27</p> <p>3.7.6.4 &amp; 3.7.7.2</p>	<p><b>Cantilever edges (c,d) are restricted to a maximum of 3d, lengths greater than 3d are ignored.</b></p> <p><math>d = h - \text{top cover} - T1 \text{ Bars size} / 2 - T2 \text{ Bars size} / 2</math> (average in both directions)</p> <p><math>Xy = a + c + 1.5d</math> or <math>Xx = a + e + 1.5d</math> (required only when there is a moment in the slab)</p> <p>Square column <math>u_0 = 2a + \text{any negative value for 'c' or 'e'}</math>.</p> <p>Circular column <math>u_0 = 2/3 \times a \times \pi</math> or when there is a negative value for 'c' or 'e' use</p> <p><math>u_0 = 2/3 \times a \times \pi + (c \times \pi / 2)</math>   <math>u_0 = 2/3 \times a \times \pi + (e \times \pi / 2)</math>   <math>u_0 = 2/3 \times a \times \pi + (c \times \pi / 2) + (e \times \pi / 2)</math> accordingly</p> <p>use <math>X</math> as <math>Xx</math> or <math>Xy</math> as appropriate</p> <p><math>V_{eff} = 1.25V_t</math> (direct shear) or <math>V_{eff} = V_t ( 1.25 + 1.5M_t / (V_t \times X) )</math> (moment present)</p> <p><math>v = V_{eff} / (u_0 \times d)</math></p> <p>Check <math>v</math> is not greater than <math>0.8 \times \sqrt{f_{cu}}</math> or <math>5 \text{ N/mm}^2</math></p> <p><math>f_{cu}</math> should not to be taken greater than <math>40 \text{ N/mm}^2</math></p>
<p><b>Design at Perimeters</b></p> <p>3.7.7.3</p> <p>Table 3.8</p> <p>Equation 28</p> <p>3.7.7.4</p> <p>3.7.7.5</p> <p>Equation 29a</p> <p>Equation 29b</p> <p>Figure 3.17</p>	<p>Design each perimeter <math>u_1, u_2, \dots, u_n</math> - starting <math>1.5d</math> from the column/pile face and at <math>0.75d</math> thereafter until <math>v_c</math> is greater than or equal to <math>v</math>.</p> <p><math>u_1 = (1.5d \times 2) + 2a + c + e</math> .. <math>u_2 = (2.25d \times 2) + 2a + c + e</math> .. <math>u_3 = (3d \times 2) + 2a + c + e</math> .. &amp; so on</p> <p><math>100A_s / (1000 \times d)</math> Not to be taken more than 3</p> <p><math>400 / d</math> Not to be taken less than 1</p> <p><math>v_c = 0.79 \times ( ( 100A_s / (1000 \times d) )^{1/3} \times (400 / d)^{1/4} ) / 1.25 ) \times (f_{cu} / 25)^{1/3}</math></p> <p><math>v = V_{eff} / (u_1 \times d)</math></p> <p>3.7.7.4   <math>v' &lt; 'v_c'</math>   ➤ No Shear reinforcement is required</p> <p>3.7.7.5   <math>'v' &gt; '2v_c'</math>   ➤ Redesign using: deeper slab, increase grade or top reinforcement.</p> <p>Equation 29a   <math>'v' \leq '1.6v_c'</math>   ➤ <math>A_{sv} = (v - v_c) u_1 d / (0.87f_{yv})</math>   Note: <math>\text{Sin } 90^\circ = 1</math> for vertical bars</p> <p>Equation 29b   <math>'1.6v_c' &lt; 'v' \leq '2v_c'</math>   ➤ <math>A_{sv} = 5(0.7 v - v_c) u_1 d / (0.87f_{yv})</math>   Note: <math>\text{Sin } 90^\circ = 1</math> for vertical bars</p> <p>Figure 3.17   Check against minimum Steel = <math>(0.4 u_1 d) / (0.87f_{yv})</math> .... (altering <math>u_1</math> to <math>u_2</math>, etc... accordingly)</p> <p>Note : '<math>A_{sv}</math>' is for TWO perimeters of studs/links at a maximum of <math>0.75d</math> centres.</p> <p>The first perimeter of studs located at <math>0.5d</math> should contain 40% of the calculated area of the reinforcement required in <math>u_1</math>.</p> <p>Repeat 'design at perimeters'... until <math>'v' &lt; 'v_c'</math> hence no more reinforcement is required.</p>

**Square/Circular Loaded Areas - EXTERNAL CORNER**



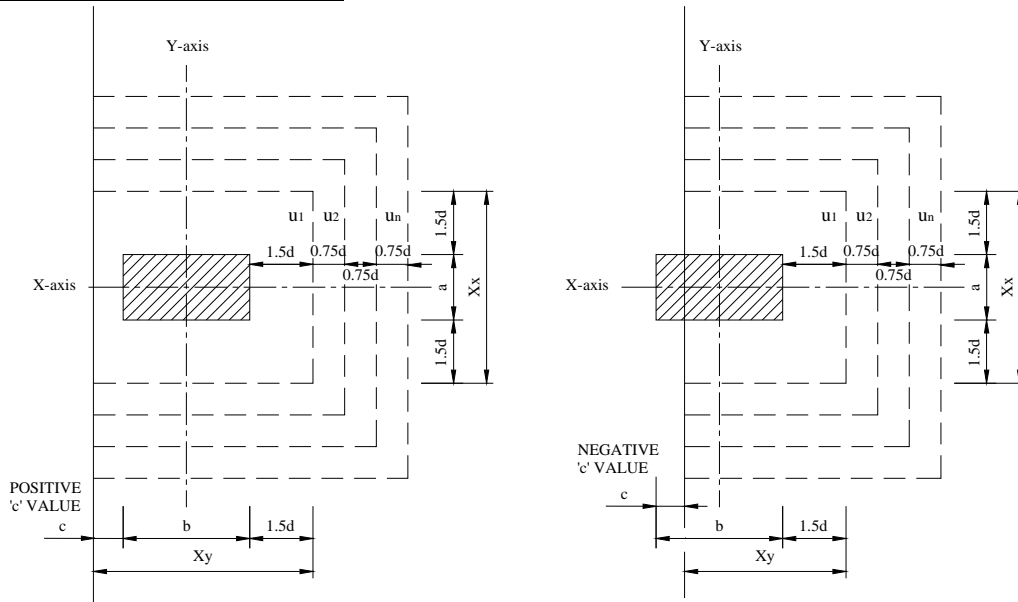
<p>Reference to BS8110 part 1</p> <p>Figure 3.14</p> <p>3.7.7.2</p> <p>Figure 3.15</p> <p><b>Design at face</b></p> <p>Equation 27</p> <p>3.7.6.4 &amp; 3.7.7.2</p>	<p><b><u>Cantilever edges (c,e) are restricted to a maximum of 1.5d, lengths greater are ignored.</u></b></p> <p><math>d = h - \text{top cover} - T1 \text{ Bars size} / 2 - T2 \text{ Bars size} / 2</math> (average in both directions)</p> <p><math>Xy = a + 3d</math> or <math>Xx = a + 3d</math> (required only when there is a moment in the slab)</p> <p>Square column <math>u_0 = 4a + \text{any negative value for 'c' or 'e'}</math>.</p> <p>Circular column <math>u_0 = a\pi + \text{any negative value for 'c' or 'e' using the formula } (\pi a/2 \times c/a) \text{ or } (\pi a/2 \times e/a) \text{ accordingly}</math></p> <p>use <math>X</math> as <math>Xx</math> or <math>Xy</math> as appropriate</p> <p><math>V_{eff} = 1.25V_t</math> (direct shear) or <math>V_{eff} = V_t (1.25 + 1.5M_t / (V_t \times X))</math> (moment present)</p> <p><math>v = V_{eff} / (u_0 \times d)</math></p> <p>Check <math>v</math> is not greater than <math>0.8 \times \sqrt{f_{cu}}</math> or <math>5 \text{ N/mm}^2</math></p> <p><math>f_{cu}</math> should not to be taken greater than <math>40 \text{ N/mm}^2</math></p>
<p><b>Design at Perimeters</b></p> <p>3.7.7.3</p> <p>Table 3.8</p> <p>Equation 28</p> <p>3.7.7.4</p> <p>3.7.7.5</p> <p>Equation 29a</p> <p>Equation 29b</p> <p>Figure 3.17</p>	<p>Design each perimeter <math>u_1, u_2, \dots, u_n</math> - starting <math>1.5d</math> from the column/pile face and at <math>0.75d</math> thereafter until <math>v_c</math> is greater than or equal to <math>v</math>.</p> <p><math>u_1 = (1.5d \times 6) + 4a + c + e \dots u_2 = (2.25d \times 6) + 4a + c + e \dots u_3 = (3d \times 6) + 4a + c + e \dots</math> &amp; so on</p> <p>Check <math>u_1, u_2, \dots</math> Against a complete enclosed perimeter i.e. <math>u_1 = ((1.5d \times 2) + a) \times 4</math></p> <p><math>100A_s / (1000 \times d)</math> Not to be taken more than 3</p> <p><math>400 / d</math> Not to be taken less than 1</p> <p><math>v_c = 0.79 \times ((100A_s / (1000 \times d))^{1/3} \times (400 / d)^{1/4} / 1.25) \times (f_{cu} / 25)^{1/3}</math></p> <p><math>v = V_{eff} / (u_1 \times d)</math></p> <p>3.7.7.4 <math>v' &lt; v_c</math> ➤ No Shear reinforcement is required</p> <p>3.7.7.5 <math>v' &gt; 2v_c</math> ➤ Redesign using: deeper slab, increase grade or top reinforcement.</p> <p>Equation 29a <math>v' \leq 1.6v_c</math> ➤ <math>A_{sv} = (v - v_c) u_1 d / (0.87f_{yv})</math> Note: <math>\sin 90^\circ = 1</math> for vertical bars</p> <p>Equation 29b <math>1.6v_c &lt; v' \leq 2v_c</math> ➤ <math>A_{sv} = 5(0.7v - v_c) u_1 d / (0.87f_{yv})</math> Note: <math>\sin 90^\circ = 1</math> for vertical bars</p> <p>Figure 3.17 Check against minimum Steel = <math>(0.4 u_1 d) / (0.87f_{yv}) \dots</math> (altering <math>u_1</math> to <math>u_2, \dots</math> accordingly)</p> <p>Note : <math>A_{sv}</math> is for TWO perimeters of studs/links at a maximum of <math>0.75d</math> centres.</p> <p>The first perimeter of studs located at <math>0.5d</math> should contain 40% of the calculated area of the reinforcement required in <math>u_1</math>.</p> <p>Repeat 'design at perimeters'... until <math>v' &lt; v_c</math> hence no more reinforcement is required.</p>

**Rectangular Loaded Areas - INTERNAL**



<p>Reference to BS8110 part1 1.3.4.1</p> <p>Figure 3.14 3.7.7.2</p> <p>Figure 3.15</p> <p><b>Design at face</b> Equation 27 3.7.6.4 &amp; 3.7.7.2</p>	<p>For Rectangular loaded areas with a length exceeding four times its thickness, should be considered as a wall receiving localised punching shear at its ends, see section on Wall/Blade Column</p> <p><math>d = h - \text{top cover} - T1 \text{ Bars size} / 2 - T2 \text{ Bars size} / 2</math> (average in both directions)</p> <p><math>Xy = b + (2 \times 1.5d)</math> or <math>Xx = a + (2 \times 1.5d)</math> (required only when there is a moment in the slab)</p> <p><math>u_0 = 2a + 2b</math> use X as Xx or Xy as appropriate</p> <p><math>V_{eff} = 1.15V_t</math> (direct shear) or <math>V_{eff} = V_t (1 + 1.5M_t / (V_t \times X))</math> (moment present)</p> <p><math>v = V_{eff} / (u_0 \times d)</math></p> <p>Check <math>v</math> is not greater than <math>0.8 \times \sqrt{f_{cu}}</math> or <math>5 \text{ N/mm}^2</math></p> <p><math>f_{cu}</math> should not to be taken greater than <math>40 \text{ N/mm}^2</math></p>
<p><b>Design at Perimeters</b></p> <p>3.7.7.3 Table 3.8</p> <p>Equation 28</p> <p>3.7.7.4 3.7.7.5</p> <p>Equation 29a Equation 29b</p> <p>Figure 3.17</p>	<p>Design each perimeter <math>u_1, u_2, \dots, u_n</math> - starting <math>1.5d</math> from the column/pile face and at <math>0.75d</math> thereafter until <math>v_c</math> is greater than or equal to <math>v</math>.</p> <p><math>u_1 = (1.5d \times 2) \times 4 + (a + b) \times 2 \dots u_2 = (2.25d \times 2) \times 4 + (a + b) \times 2 \dots u_3 = (3d \times 2) \times 4 + (a + b) \times 2 \dots</math> &amp; so on</p> <p><math>100A_s / (1000 \times d)</math> Not to be taken more than 3</p> <p><math>400 / d</math> Not to be taken less than 1</p> <p><math>v_c = 0.79 \times ( (100A_s / (1000 \times d))^{1/3} \times (400 / d)^{1/4} ) / 1.25 ) \times (f_{cu} / 25)^{1/3}</math></p> <p><math>v = V_{eff} / (u_1 \times d)</math></p> <p><math>v' &lt; 'v_c'</math> ➤ No Shear reinforcement is required</p> <p><math>'v' &gt; '2v_c'</math> ➤ Redesign using: deeper slab, increase grade or top reinforcement.</p> <p>Equation 29a <math>'v' \leq '1.6v_c'</math> ➤ <math>A_{sv} = (v - v_c) u_1 d / (0.87f_{yv})</math> Note: <math>\text{Sin } 90^\circ = 1</math> for vertical bars</p> <p>Equation 29b <math>'1.6v_c' &lt; 'v' \leq '2v_c'</math> ➤ <math>A_{sv} = 5(0.7v - v_c) u_1 d / (0.87f_{yv})</math> Note: <math>\text{Sin } 90^\circ = 1</math> for vertical bars</p> <p>Figure 3.17 Check against minimum Steel = <math>(0.4 u_1 d) / (0.87f_{yv}) \dots</math> (altering <math>u_1</math> to <math>u_2, \dots</math> accordingly)</p> <p>Note : <math>'A_{sv}'</math> is for TWO perimeters of studs/links at a maximum of <math>0.75d</math> centres.</p> <p>The first perimeter of studs located at <math>0.5d</math> should contain 40% of the calculated area of the reinforcement required in <math>u_1</math>.</p> <p>Repeat 'design at perimeters'... until <math>'v' &lt; 'v_c'</math> hence no more reinforcement is required.</p>

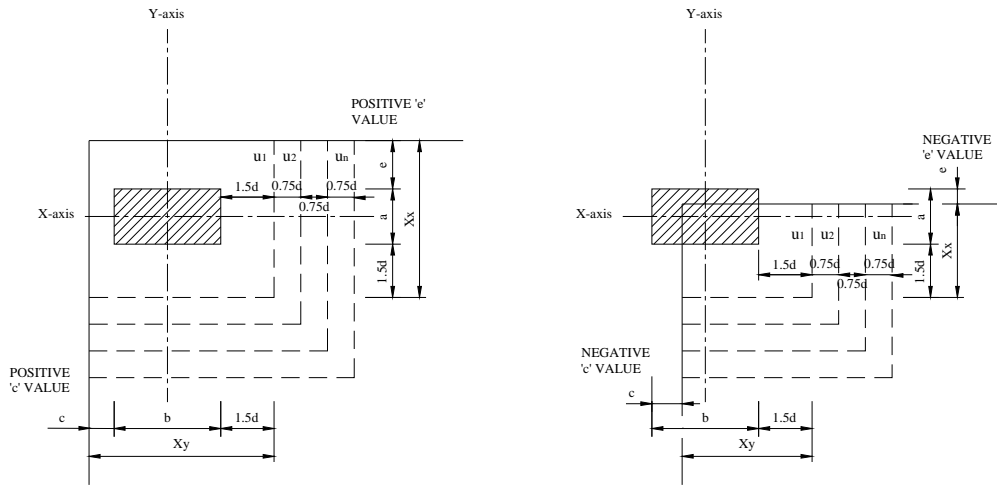
**Rectangular Loaded Areas - EDGE**



<p>Reference to BS8110 part1</p> <p>Figure 3.14</p> <p>3.7.7.2</p> <p>Figure 3.15</p> <p><b>Design at face</b></p> <p>Equation 27</p> <p>3.7.6.4 &amp; 3.7.7.2</p>	<p><b>Cantilever edges (c) are restricted to a maximum of 3d, lengths greater than 3d are ignored.</b></p> <p><math>d = h - \text{top cover} - T1 \text{ Bars size} / 2 - T2 \text{ Bars size} / 2</math> (average in both directions)</p> <p><math>Xy = b + c + 1.5d</math> or <math>Xx = a + (2 \times 1.5d)</math> (required only when there is a moment in the slab)</p> <p><math>u_0 = a + 2b</math> or <math>u_0 = a + 2b + 2c</math> Whichever is the smallest.</p> <p>use X as Xx or Xy as appropriate</p> <p><math>V_{eff} = 1.4V_t</math> or <math>1.25V_t</math> (direct shear) or <math>V_{eff} = V_t (1.25 + 1.5M_t / (V_t \times X))</math> (moment present)</p> <p><math>v = V_{eff} / (u_0 \times d)</math></p> <p>Check v is not greater than <math>0.8 \times \sqrt{f_{cu}}</math> or <math>5 \text{ N/mm}^2</math></p> <p><math>f_{cu}</math> should not to be taken greater than <math>40 \text{ N/mm}^2</math></p>
<p><b>Design at Perimeters</b></p> <p>3.7.7.3</p> <p>Table 3.8</p> <p>Equation 28</p> <p>3.7.7.4</p> <p>3.7.7.5</p> <p>Equation 29a</p> <p>Equation 29b</p> <p>Figure 3.17</p>	<p>Design each perimeter <math>u_1, u_2, \dots, u_n</math> - starting <math>1.5d</math> from the column/pile face and at <math>0.75d</math> thereafter until <math>v_c</math> is greater than or equal to <math>v</math>.</p> <p><math>u_1 = (1.5d \times 4) + a + 2b + 2c \dots u_2 = (2.25d \times 4) + a + 2b + 2c \dots u_3 = (3d \times 2) \times 4 + a + 2b + 2c \dots</math> &amp; so on</p> <p><math>100A_s / (1000 \times d)</math> Not to be taken more than 3</p> <p><math>400 / d</math> Not to be taken less than 1</p> <p><math>v_c = 0.79 \times ((100A_s / (1000 \times d))^{1/3} \times (400 / d)^{1/4}) / 1.25 \times (f_{cu} / 25)^{1/3}</math></p> <p><math>v = V_{eff} / (u_1 \times d)</math></p> <p>3.7.7.4 <math>v' &lt; 'v_c'</math> ➤ No Shear reinforcement is required</p> <p>3.7.7.5 <math>'v' &gt; '2v_c'</math> ➤ Redesign using: deeper slab, increase grade or top reinforcement.</p> <p>Equation 29a <math>'v' \leq '1.6v_c'</math> ➤ <math>A_{sv} = (v - v_c) u_1 d / (0.87f_{yv})</math> Note: <math>\text{Sin } 90^\circ = 1</math> for vertical bars</p> <p>Equation 29b <math>'1.6v_c' &lt; 'v' \leq '2v_c'</math> ➤ <math>A_{sv} = 5(0.7v - v_c) u_1 d / (0.87f_{yv})</math> Note: <math>\text{Sin } 90^\circ = 1</math> for vertical bars</p> <p>Figure 3.17 Check against minimum Steel = <math>(0.4 u_1 d) / (0.87f_{yv}) \dots</math> (altering <math>u_1</math> to <math>u_2, \dots</math> accordingly)</p> <p>Note : <math>'A_{sv}'</math> is for TWO perimeters of studs/links at a maximum of <math>0.75d</math> centres.</p> <p>The first perimeter of studs located at <math>0.5d</math> should contain 40% of the calculated area of the reinforcement required in <math>u_1</math>.</p> <p>Repeat 'design at perimeters'... until <math>'v' &lt; 'v_c'</math> hence no more reinforcement is required.</p>

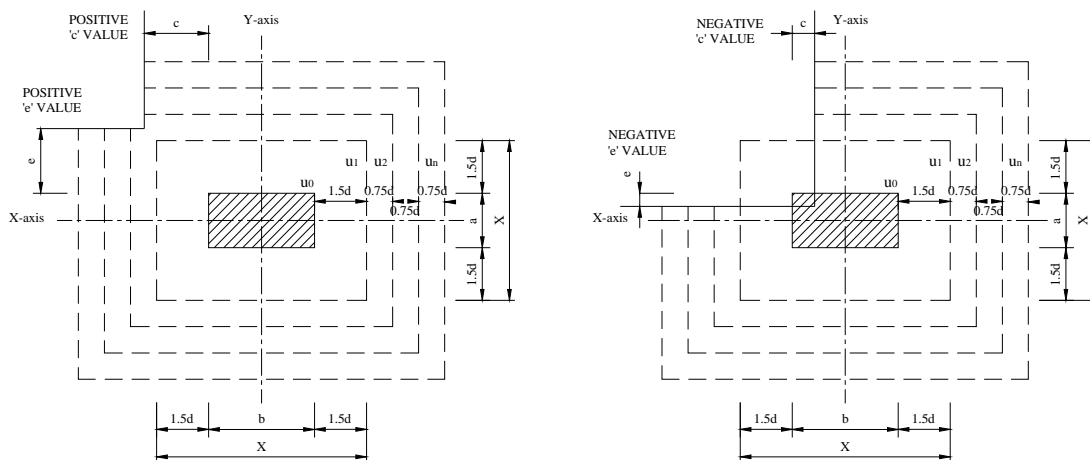


**Rectangular Loaded Areas – INTERNAL CORNER**



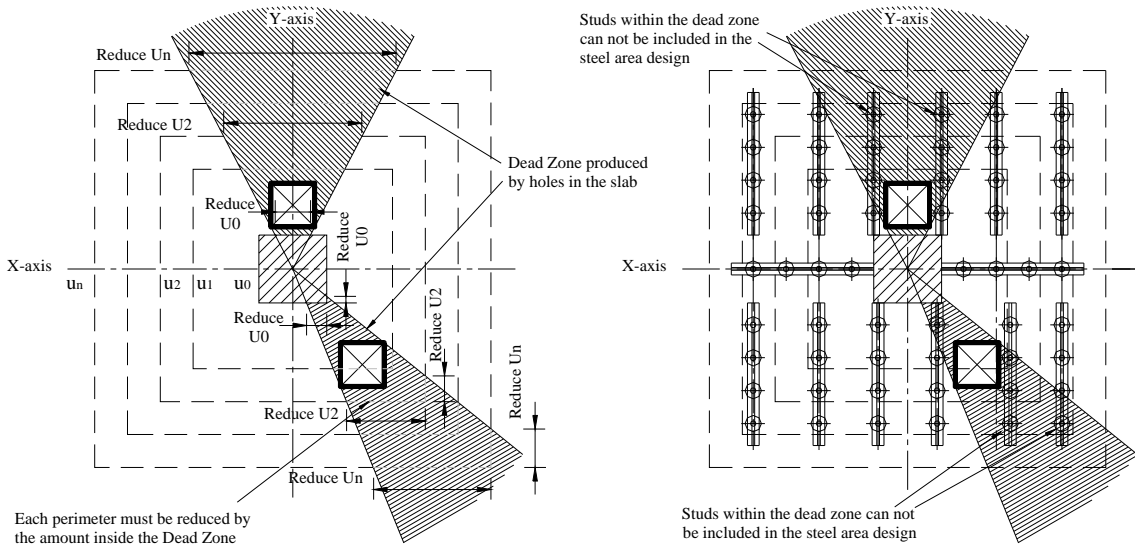
<p>Reference to BS8110 part1</p> <p>Figure 3.14</p> <p>3.7.7.2</p> <p>Figure 3.15</p> <p><b>Design at face</b></p> <p>Equation 27</p> <p>3.7.6.4 &amp; 3.7.7.2</p>	<p><b>Cantilever edges (c) are restricted to a maximum of 3d, lengths greater than 3d are ignored.</b></p> <p><math>d = h - \text{top cover} - T1 \text{ Bars size} / 2 - T2 \text{ Bars size} / 2</math> (average in both directions)</p> <p><math>Xy = b + c + 1.5d</math> or <math>Xx = a + e + 1.5d</math> (required only when there is a moment in the slab)</p> <p><math>u_0 = a + b + \text{any negative value for 'c' or 'e'}</math>.</p> <p>use X as Xx or Xy as appropriate</p> <p><math>V_{eff} = 1.25V_t</math> (direct shear) or <math>V_{eff} = V_t ( 1.25 + 1.5M_t / (V_t \times X) )</math> (moment present)</p> <p><math>v = V_{eff} / ( u_0 \times d )</math></p> <p>Check v is not greater than <math>0.8 \times \sqrt{f_{cu}}</math> or <math>5 \text{ N/mm}^2</math></p> <p><math>f_{cu}</math> should not to be taken greater than <math>40 \text{ N/mm}^2</math></p>
<p><b>Design at Perimeters</b></p> <p>3.7.7.3</p> <p>Table 3.8</p> <p>Equation 28</p> <p>3.7.7.4</p> <p>3.7.7.5</p> <p>Equation 29a</p> <p>Equation 29b</p> <p>Figure 3.17</p>	<p>Design each perimeter <math>u_1, u_2, \dots, u_n</math> - starting <math>1.5d</math> from the column/pile face and at <math>0.75d</math> thereafter until <math>v_c</math> is greater than or equal to <math>v</math>.</p> <p><math>u_1 = (1.5d \times 2) + a + b + c + e \dots u_2 = (2.25d \times 2) + a + b + c + e \dots u_3 = (3d \times 2) + a + b + c + e \dots</math> &amp; so on</p> <p><math>100A_s / ( 1000 \times d )</math> Not to be taken more than 3</p> <p><math>400 / d</math> Not to be taken less than 1</p> <p><math>v_c = 0.79 \times ( ( 100A_s / ( 1000 \times d ) )^{1/3} \times (400 / d)^{1/4} ) / 1.25 ) \times (f_{cu}/25)^{1/3}</math></p> <p><math>v = V_{eff} / ( u_1 \times d )</math></p> <p><math>v' &lt; 'v_c'</math> ➤ No Shear reinforcement is required</p> <p><math>'v' &gt; '2v_c'</math> ➤ Redesign using: deeper slab, increase grade or top reinforcement.</p> <p>Equation 29a <math>'v' \leq '1.6v_c'</math> ➤ <math>A_{sv} = (v - v_c) u_1 d / ( 0.87f_{yv} )</math> Note: <math>\text{Sin } 90^\circ = 1</math> for vertical bars</p> <p>Equation 29b <math>'1.6v_c' &lt; 'v' \leq '2v_c'</math> ➤ <math>A_{sv} = 5(0.7 v - v_c) u_1 d / ( 0.87f_{yv} )</math> Note: <math>\text{Sin } 90^\circ = 1</math> for vertical bars</p> <p>Figure 3.17 Check against minimum Steel = <math>( 0.4 u_1 d ) / ( 0.87f_{yv} ) \dots</math> (altering <math>u_1</math> to <math>u_2, \dots</math> accordingly)</p> <p>Note : <math>'A_{sv}'</math> is for TWO perimeters of studs/links at a maximum of <math>0.75d</math> centres.</p> <p>The first perimeter of studs located at <math>0.5d</math> should contain 40% of the calculated area of the reinforcement required in <math>u_1</math>.</p> <p>Repeat 'design at perimeters'... until <math>'v' &lt; 'v_c'</math> hence no more reinforcement is required.</p>

**Rectangular Loaded Areas – EXTERNAL CORNER**



<p>Reference to BS8110 part1</p> <p>Figure 3.14</p> <p>3.7.7.2</p> <p>Figure 3.15</p> <p><b>Design at face</b></p> <p>Equation 27</p> <p>3.7.6.4 &amp; 3.7.7.2</p>	<p><b><u>Cantilever edges (c,e) are restricted to a maximum of 1.5d, lengths greater are ignored.</u></b></p> <p><math>d = h - \text{top cover} - T1 \text{ Bars size} / 2 - T2 \text{ Bars size} / 2</math> (average in both directions)</p> <p><math>Xy = b + 3d</math> or <math>Xx = a + 3d</math> (required only when there is a moment in the slab)</p> <p><math>u_0 = 2a + 2b + \text{any negative value for 'c' or 'e'}</math>.</p> <p>use <math>X</math> as <math>Xx</math> or <math>Xy</math> as appropriate</p> <p><math>V_{eff} = 1.25V_t</math> (direct shear) or <math>V_{eff} = V_t ( 1.25 + 1.5M_t / (V_t \times X) )</math> (moment present)</p> <p><math>v = V_{eff} / ( u_0 \times d )</math></p> <p>Check <math>v</math> is not greater than <math>0.8 \times \sqrt{f_{cu}}</math> or <math>5 \text{ N/mm}^2</math></p> <p><math>f_{cu}</math> should not to be taken greater than <math>40 \text{ N/mm}^2</math></p>
<p><b>Design at Perimeters</b></p> <p>3.7.7.3</p> <p>Table 3.8</p> <p>Equation 28</p> <p>3.7.7.4</p> <p>3.7.7.5</p> <p>Equation 29a</p> <p>Equation 29b</p> <p>Figure 3.17</p>	<p>Design each perimeter <math>u_1, u_2, \dots, u_n</math> - starting <math>1.5d</math> from the column/pile face and at <math>0.75d</math> thereafter until <math>v_c</math> is greater than or equal to <math>v</math>.</p> <p><math>u_1 = (1.5d \times 6) + 2a + 2b + c + e \dots u_2 = (2.25d \times 6) + 2a + 2b + c + e \dots u_3 = (3d \times 6) + 2a + 2b + c + e \dots</math> &amp; so on</p> <p>Check <math>u_1, u_2, \dots</math> Against a complete enclosed perimeter i.e. <math>u_1 = ( ( 1.5d \times 2 ) \times 4 + 2a + 2b )</math></p> <p><math>100A_s / ( 1000 \times d )</math> Not to be taken more than 3</p> <p><math>400 / d</math> Not to be taken less than 1</p> <p><math>v_c = 0.79 \times ( ( ( 100A_s / ( 1000 \times d ) )^{1/3} \times ( 400 / d )^{1/4} ) / 1.25 ) \times ( f_{cu} / 25 )^{1/3}</math></p> <p><math>v = V_{eff} / ( u_1 \times d )</math></p> <p><math>v' &lt; 'v_c'</math> ➤ No Shear reinforcement is required</p> <p><math>'v' &gt; '2v_c'</math> ➤ Redesign using: deeper slab, increase grade or top reinforcement.</p> <p>Equation 29a <math>'v' \leq '1.6v_c'</math> ➤ <math>A_{sv} = (v - v_c) u_1 d / ( 0.87f_{yv} )</math> Note: <math>\text{Sin } 90^\circ = 1</math> for vertical bars</p> <p>Equation 29b <math>'1.6v_c' &lt; 'v' \leq '2v_c'</math> ➤ <math>A_{sv} = 5(0.7v - v_c) u_1 d / ( 0.87f_{yv} )</math> Note: <math>\text{Sin } 90^\circ = 1</math> for vertical bars</p> <p>Figure 3.17 Check against minimum Steel = <math>( 0.4 u_1 d ) / ( 0.87f_{yv} ) \dots</math> (altering <math>u_1</math> to <math>u_2, \dots</math> accordingly)</p> <p>Note : <math>'A_{sv}'</math> is for TWO perimeters of studs/links at a maximum of <math>0.75d</math> centres.</p> <p>The first perimeter of studs located at <math>0.5d</math> should contain 40% of the calculated area of the reinforcement required in <math>u_1</math>.</p> <p>Repeat 'design at perimeters'... until <math>'v' &lt; 'v_c'</math> hence no more reinforcement is required.</p>

**Design Guidance for Holes in Slabs**



Each perimeter must be reduced by the amount inside the Dead Zone

Studs within the dead zone can not be included in the steel area design

**BS8110 part 1 1997 3.7.7.6 Modification of effective perimeter to allow for holes.**

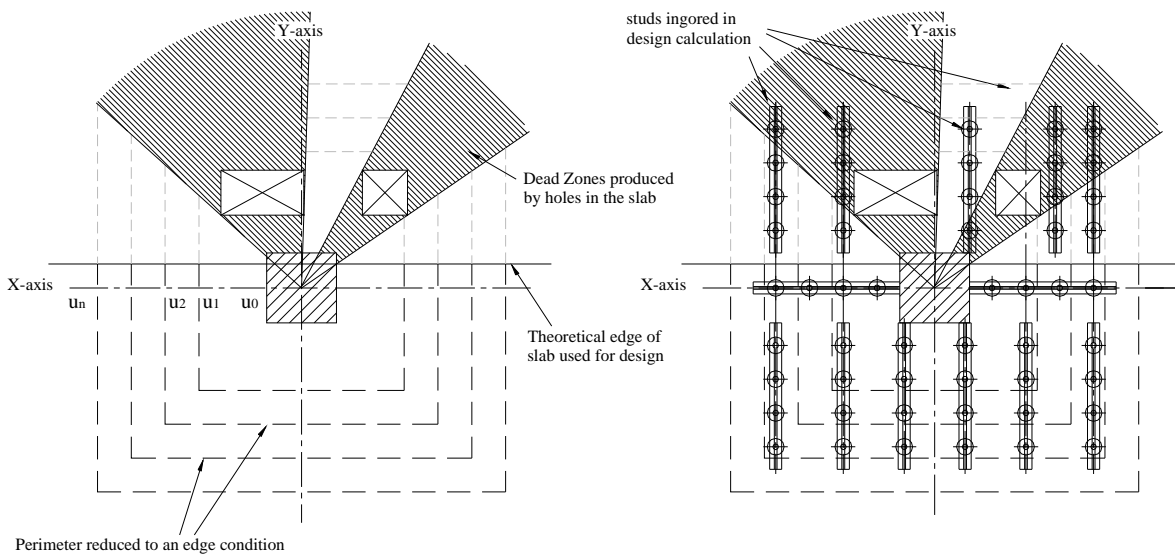
When a hole or holes are within  $6d$  from the face of the column/pile, part of the perimeter that is enclosed by the radial projections (dead zone) from the centre of the column/pile to the edges of the hole/s are considered ineffective.

Each perimeter ( $u_0$ ,  $u_1$ , etc..) must be reduced accordingly and any studs/reinforcement ignored when calculating the area of steel required/used, care should be taken when repositioning rails to miss holes that it has not moved into another perimeter without adjusting the calculation likewise.

A single hole can be ignored if its largest width is less than the smaller of:

1. One-quarter of the column side
2. Half the slab depth

It may be desirable or quicker to consider a worst-case design ignoring the part of the slab with the hole/s and design as an edge or corner condition, supplying additional rails to the disregarded area of slab that will be receiving load from the slab.



Perimeter reduced to an edge condition

studs ingored in design calculation

Dead Zones produced by holes in the slab

Theoretical edge of slab used for design

Alternatively, a percentage reduction of the perimeters can be used, but care must be taken, as the percentage will vary due to the position around the column/pile and with the distance between the column/pile to the hole.